

Biological

### 31-4] Passage of radiation through matter Damage

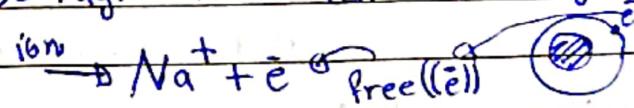
⑤ Nuclear radiation includes 8-

$\alpha$ ,  $\beta^+$ ,  $\beta^-$ ,  $n$ ,  $\pi$ ,  $\gamma$ ,  $p$ , .....

⑥ X-rays are also a radiation but NOT nuclear radiation as X-rays

→ They don't originate from the nucleus - X-rays are emitted from transitions of electrons between atomic energy levels.

Nuclear radiation and  $\alpha$ -rays are called ionizing radiation why?



When radiation passes through matter, it ionizes the atoms ((produce free  $e^-$  and positive ions)).

⑦ When radiation passes through matter, it can cause considerable damage.



"(iii)"

Metals and structural materials become brittle and become weak due to the passage of radiation.

## \* Biological Damage :-

Damage of Biological cells is primarily due to the ionization that is caused by the radiation.



- ① Free electrons and positive ions can interfere with the normal operations of the cell like, for example → important chemical reactions.
- ② Knocking off electrons from atoms and molecules may also change their structure which eventually interferes with the normal activity and functions of the cell.
- ③ Radiation may also damage the DNA. Each alteration to the "DNA" can affect a gene and alter the molecule it codes for.

## 31-5] Measurement of Radiation - Dosimetry :-

Controlled use of radiation can be used for diagnosis and also for the treatment of cancer. Radiation is also used to kill malignant ((cancerous)) cells.

\* Therefore, it is important to quantify the amount or dose of radiation. This is known as "dosimetry"

\* The strength of a radioactive source is specified by stating its "activity" at a given time :-

Remember :-  $A = A_0 e^{-2t}$

\* Therefore, activity decreases with time. Therefore, we must state the time when we specify the activity particularly when the radioactive source has a short half-life.

\* SI unit of activity is the Bequerel ((Bq)) :-

$$1 \text{ Bq} = 1 \text{ decay/s}$$

(\*) Another common used unit is the Curie

$$1 \text{ Ci} = 3.7 \times 10^{10} \text{ Bq}$$

$\rightarrow$  1 Ci is the activity of exactly 1 gram of radium.

\* Note that activity gives the number of decays per second. But it gives no information regarding the effect of radiation on Biological Tissues.

### \* Exposure :-

Measured in units of Roentgen (R)

1 Roentgen :- Amount of  $\alpha$ -rays or  $\gamma$ -radiation that deposits  $0.873 \times 10^{-2}$  J of energy per 1kg of Air.

(NOTE) :- The definition of exposure has limited :-

① radiation type for  $\alpha$ -rays and  $\gamma$  radiation

② matter where energy is deposited to air

[ nothing about Biological tissues or the effect of radiation on Biological tissues ]

\* Absorbed Dose ((AD))  $\rightarrow$   $\frac{E}{M}$

The energy deposited per Kg in any medium by any radiation type.

$$\frac{2 \text{ J}}{50 \text{ kJ}} = \frac{1 \text{ Gy}}{25}$$

Units :- Grey(Gy) or Rad

$$1 \text{ Gy} = 1 \text{ J/Kg}$$

$$1 \text{ Rad} = 0.01 \text{ J/Kg} \Rightarrow [1 \text{ Gy} = 100 \text{ rad}]$$

\* Note that AD applies to any radiation and matter.

\* Question :- Which is more dangerous to living tissues, an absorbed dose of 1 Gy of alpha radiation OR 1 Gy of gamma radiation. (Note the same absorbed dose but the radiation is different).  $\Rightarrow$  In fact, absorbed dose doesn't specify the danger of a given radiation to living tissues

Effective Dose (ED) :-  $\leftarrow$  We need a better assessment

$$ED = AD * RBE$$

RBE :- relative biological effectiveness of a given type of radiation defined as the number of rads of X-rays or  $\gamma$ -radiation that produces the same biological damage as 1 rad of the given radiation

Radiation type	RBE
X and $\gamma$ rays	1
$\beta$ (electrons)	1
Protons	2
slow neutrons	5
fast neutrons	$\approx 10$
$\alpha$ particles and heavy ions	$\approx 20$

\* For  $\alpha$ -particles, RBE = 20 / 1 rad = 0.008 kg

i.e. This means that 1 rad of  $\alpha$ -radiation produces the same biological damage as 20 rads of X-rays on X-rays.

\* Units :-

AD

ED

Gray (Gy)  $\rightarrow$  Sievert (Sv)

Rad  $\rightarrow$  rem

$$\text{Since } [ \text{Gy} = 100 \text{ rad} ] \\ \therefore [ \text{Sv} = 100 \text{ rem} ]$$

\* Note :- RBE has no dimensions ((No unit ))

### (\*) Human Exposure to radiation :-

We are constantly exposed to radiation coming from different sources like :-

- cosmic rays

- natural radioactivity in rocks and soil .

\* Upper limit Effective Dose per person per year  
in The US is -

From natural radioactive background  $\approx 300 \text{ mrem}$   
 $\approx 3 \times 10^{-3} \text{ rem}$

From X-rays and scans  $\approx 60 \text{ mrem}$   
 $\approx 6 \times 10^{-3} \text{ rem}$

Additional allowed in US  $100 \text{ mrem}$

Maximum Total allowed in US  $\approx 460 = 416 \text{ mSv}$

\* Upper limit effective Dose per person per year  
for radiation workers (hospitals, power plants, research)  
 $\approx 20 \text{ mSv}$

Such workers wear badges called TLD  
(Thermoluminescent dosimeter) to monitor  
the radiation levels workers are exposed to.

\* Large doses of radiation cause symptoms like -  
nausea, fatigue, Loss of Body hair. In general  
called "radiation sickness". very large doses  
can be fatal. A dose of 10 SV over  
a short period is usually fatal.

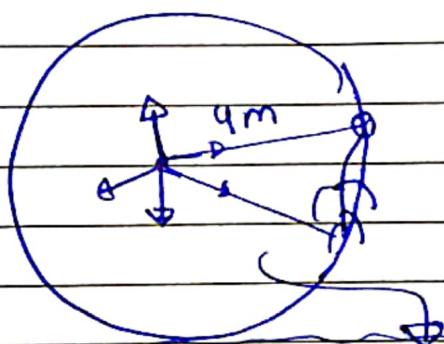
Further

\* As we move  $\uparrow$  away from the radiation source, our bodies will be exposed to lesser amount of radiation.

$\therefore$  Intensity of radiation (Energy / unit area) is proportional to  $\frac{1}{r^2}$ .

\* Energy intercepted by body = Surface area of Body  
 Total energy (radiated)

$$\frac{4\pi r^2}{\text{area}} \rightarrow \text{surface of the sphere}$$



Example 31-11) :- Limiting the dose. A worker in an environment with a radioactive source is warned that she is accumulating a dose too quickly and will have to lower her exposure by a factor of 10 to continue working for the rest of the year. If the worker is able to work farther away from the source, how much away is necessary?

Intensity of  $\frac{1}{r^2}$  need a reduction by a factor of 10

$I \rightarrow \frac{I}{10} \rightarrow$  If she is 4m away from the source  
 $\Rightarrow I \rightarrow \frac{I}{(4)^2} = \frac{I}{16}$ , This is a reduction of more than a factor of 10.

Example 31-12 ] :- Whole-Body dose.

What whole Body dose is received by a 70kg laboratory worker exposed to a 40-mCi  $^{60}\text{Co}$  source, assuming the person body has cross-sectional Area of  $1.5\text{m}^2$  and is normally about 4m from the source for 4 hr per day?  $^{60}\text{Co}$  emits rays of energy 1.133 MeV and 1.117 MeV in quick succession. Approximately 50% of the rays interact in the body and deposit all their energy ("The rest pass through")

Note 8- The radiation that passes through the body of the worker ( $E_{\text{worker}}$ ) is only a fraction of the total energy ( $E_{\text{Total}}$ ) emitted by the source.

$$\frac{E_{\text{worker}}}{E_{\text{Total}}} = \frac{A_{\text{body}}}{A_{\text{Total}}} = \frac{1.5}{4\pi(4)^2}$$

$$\therefore E_{\text{worker}} = 7.5 \times 10^{-3} E_{\text{Total}}$$

$$\Rightarrow \text{Energy radiated per each decay} = E_{\gamma} = (1.133 + 1.117) = 2.5 \text{ MeV}$$

Total radiated energy per second ("for all decays")

$$E_{\text{Total}} = A E_{\gamma} = (40 \times 10^{-3} \text{s}^{-1} \times 3.14 \times 10^{-4}) \times 2.5 \times 10^{-6} \times 1.6 \times 10^{-19} \text{ J}$$

$$\therefore E_{\text{Total}} = 5.92 \times 10^{-19} \text{ J/s} \left( \begin{array}{l} \text{Total radiated energy by} \\ \text{the source per each} \\ \text{second} \end{array} \right)$$

⇒ Energy deposited in the worker's body per second is -

$$E = \frac{1}{2} E_{\text{Total}} = \left(\frac{1}{2}\right) \left(7.5 \times 10^3 \text{ J}\right)$$

$$= \left(\frac{1}{2}\right) \left(7.5 \times 10^3 \times 5.92 \times 10^4 \frac{\text{J}}{\text{s}}\right)$$

$$E = 2.22 \times 10^6 \text{ J/s}$$

$$AD = \frac{E}{m} = \frac{2.22 \times 10^6 \text{ J/s}}{70 \text{ kg}} = 3.17 \times 10^8 \frac{\text{J}}{\text{kg} \cdot \text{s}}$$

$$\therefore AD = 3.17 \times 10^8 \frac{\text{Gy}}{\text{s}}$$

Absorbed dose in 4 hr is AD

$$AD_{4\text{hr}} = AD \times 4 \times 60 \times 60 = 3.17 \times 10^8 \frac{\text{s}}{\text{s}} \times 14400$$

$$AD = 4.56 \times 10^4 \text{ Gy}$$

$$ED = AD \times RBE = 1 \times 4.56 \times 10^4 = 4.56 \times 10^4 \text{ Sv}$$
$$= 0.456 \text{ mSv}$$
$$= 456 \text{ mrem}$$