



## **Chapter 6:Work and Energy**

Lecture 1 (First Sem 20/21) The University of Jordan/Physics Department Prof. Mahmoud Jaghoub أ.د. محمود الجاغوب







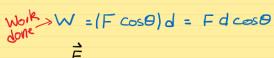
To move the box a displacement I to the right as shown in the figure, work must be done How to define what is meant by work?

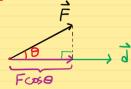
Work done = magnitude of the displacement times

the component of the force parallel to

the displacement.







8: smaller angle between F and I when they originate from the same point.



When does the work done by a Force F has a value of zero?

 $W = Fd \cos \Theta$  W = O when :  $\theta = 90^{\circ}$ d = O f 190° d

In the figure the work done by the man is zero, because his force is perpendicular to the displacement (0=90°)





R ■

W=Fdcox9

Unit of Work:

When a force of IN acts
on an object and moves
it a distance of Ina lon he
direction of the force > the
work done is 1 Joule.

Example:

In the figure the  $f_k=30 \text{ Newtons}$ box moves a distance of 10m to the right.

(i) Find the work done by each force.  $W_N = N d \cos(90^\circ) = 0$   $W_{mg} = mg d \cos(90^\circ) = 0$   $W_F = Fd \cos(0) = (100)(10)(1) = 1000 J. (NOTE W>0)$ 

Wag = mg d cos (90°) =0  $\leftarrow$ 

W<sub>F</sub> = Fd cos(0) = (100)(10)(1) = 1000 J. (NOTE WYO)



 $W_{f_R} = f_R d \cos 180^\circ = (30)(10)(-1) = -300 J \cdot f_R \text{ impedes the motion}$ 

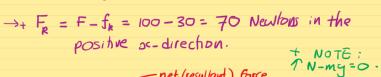
Note: the work of friction is negative. BUT work is a scalar and NOT a vector. The sign here does NOT mean direction.

(ii) Find the net (total) work done on the box.

$$W_{net} = W_N + W_{pg} + W_F + W_{fk}$$
  
= 0 + 0 + 1000 + (-300) = 700 J.

Alternatively:

 $(\leftarrow)$ 







—net(resultant) force

Wnet = Frd coso

= (70)(10) cas(a) = 700 J.

As before.



A resultant force acts on the box in the positive x-direction > the box accelerates along the positive x-direction. Remember the net work done on the object is positive.

What does the sign of the work done on an object mean?

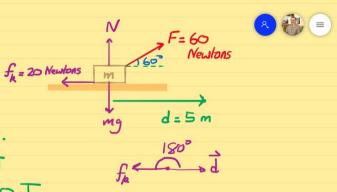
Whet > 0 (1.e positive) > object accelerates What <0 (se negative) > object decelerates W=0 > object moves at constant speed. Whet >0 (1.e positive) ⇒ object accelerates

Whet <0 (1.e negative) ⇒ object decelerates

W=0 ⇒ object moves at constant speed.

 $W_{f_R} = -300J > 0 \Rightarrow F$  accelerates the box.  $W_{f_R} = -300J < 0 \Rightarrow f_R$  impedes the motion of the box and decelerates the box.

Example: Find the net work done on the box.



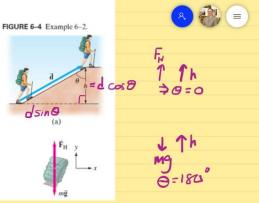
do on a 15.0-kg backpack to carry it up a hill of height h = 10.0 m, as shown in Fig. 6-4a. Determine also (b) the work done by gravity on the backpack, and (c) the net work done on the backpack. For simplicity, assume the motion is smooth and at constant velocity (i.e., acceleration is zero).

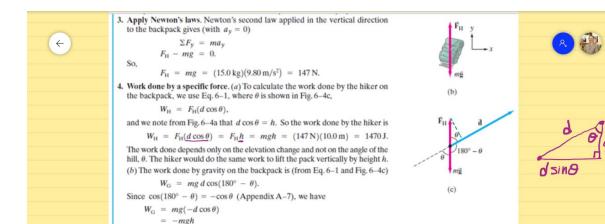
APPROACH We explicitly follow the steps of the Problem Solving Strategy above.
SOLUTION

- Draw a free-body diagram. The forces on the backpack are shown in Fig. 6–4b: the force of gravity, mg, acting downward; and FH, the force the hiker must exert upward to support the backpack. The acceleration is zero, so horizontal forces on the backpack are negligible.
- Choose a coordinate system. We are interested in the vertical motion of the backpack, so we choose the y coordinate as positive vertically upward.
- 3. Apply Newton's laws. Newton's second law applied in the vertical direction to the backpack gives (with  $\,a_y=0)$

to the backpack gives (with 
$$a_y = 0$$
)
$$\Sigma F_y = ma_y$$
So,
$$F_H - mg = 0.$$

$$F_H = mg = (15.0 \text{ kg})(9.80 \text{ m/s}^2) = 147 \text{ N}.$$

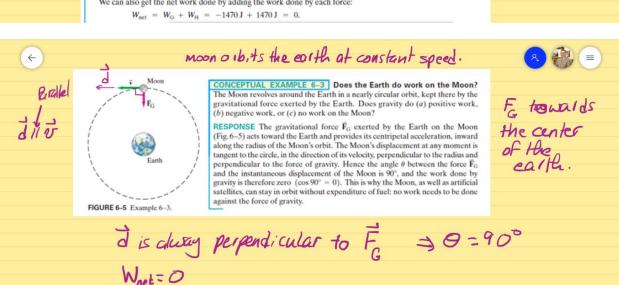




 $= -(15.0 \text{ kg})(9.80 \text{ m/s}^2)(10.0 \text{ m}) = -1470 \text{ J}.$  **NOTE** The work done by gravity (which is negative here) does not depend on the angle of the incline, only on the vertical height *h* of the hill.

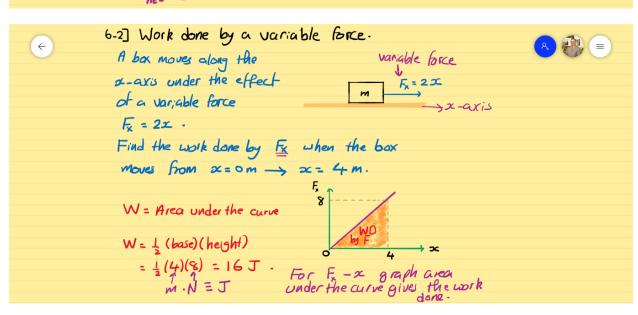
5. Net work done (c) The network done on the backpack is  $W_{-1} = 0$ , because the

5. Net work done. (c) The net work done on the backpack is W<sub>net</sub> = 0, because the net force on the backpack is zero (it is assumed not to accelerate significantly). We can also get the net work done by adding the work done by each force:



PROBLEM SOLVING

Work done by gravity depen height of hill (not on angle)



Example: An object moves along the x-axis under a variable force Fx as shown in the Figure.



Find the work done on the box by fx over the following intervals:



i) x = 0 → 20 m

$$W_1 = \frac{1}{2}(5 + 20)(40) = 500 \text{ J}$$

ii) oc= 20 → 25 m

$$W_2 = \frac{1}{2} (5)(-40) = -100 J$$

iii) Find the not work done on the box by Fx.